## Logical Reasoning - Kakuro Practice

Use the following information to answer the first question.

|  |  | $7$ | $3 \mathrm{~V}$ |  | $\sqrt{7}$ |  | $30 \mathrm{~V}$ | $235$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  | $8$ |  | $A$ |
|  |  | $\square$ |  |  |  | $21 \mathrm{~S}^{17}$ |  |  |
|  | $\sqrt[3]{8}$ |  | $24$ | $11 \underbrace{28}$ |  |  |  |  |
|  |  | $105^{35}$ |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  | $4$ |
|  |  |  | $\square$ | $\square$ | $3>$ | $54^{4}$ |  |  |
|  |  |  | $15$ |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |

1. The values of $A$ and $B$ respectively are
A) 9 and 1
B) 9 and 4
C) 7 and 2
D) 7 and 4

Use the following diagram to answer the next question.


Use the puzzle below to answer the next question.

3. The value of $G$ is $\qquad$ . [HINT: There is a unique sum for 11 with four
The value of $H$ is $\qquad$ - squares: $11=1+2+3+5]$

Use the following puzzle to answer the next two questions.

| 4. Since 3 has a unique |
| :--- |
| sum, with two squares, |
| of $1+2$, and these |
| squares intersect a |
| vertical sum of 11, with |
| two squares, we know |
| the order of 1 and 2. |
| With this information, |
| we can determine the |
| value of N to be ___ |

6. Complete the following puzzle.

7. Complete the following puzzle.


## 8. Complete the following puzzle.

|  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $21{ }^{14}$ |  |  |  |  |  |  |  |
|  |  |  |  |  | $418$ |  |  |  | $16$ |
| 16 |  |  |  | 3 |  |  | $8 \sqrt[9]{8}$ |  |  |
|  |  |  |  | $17>33$ |  |  |  |  |  |
|  |  |  |  |  |  | $166^{6}$ |  |  |  |
| 14 |  |  | $132^{24}$ |  |  |  |  |  |  |
| 22 |  |  |  | $112^{24}$ |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| 16 |  |  | $10>5$ |  |  |  | $10 \underbrace{17}$ |  |  |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |

## Logical Reasoning - Kakuro PracticeSolutions

Use the following information to answer the first question.


1. The values of $A$ and $B$ respectively are
A) 9 and 1
B) 9 and 4
C) 7 and 2
D) 7 and 4

## Solution



The unique sum for 16 with two squares is $7+9$. The unique sum for 23 with three squares is $6+8+9$. The only overlapping number to satisfy both of these requirements is 9 .

The unique sum for 7 with three squares is $1+2+4$. Of the three vertical squares beneath the clue of 7 , 4 cannot go in the bottom two, because one horizontal sum is 4 and the other horizontal sum is 3 . The only place for 4 was in position B.

Use the following diagram to answer the next question.


## Solution

The unique sum for 6 , with three squares, is $1+2+3$. Of these three horizontal squares, 3 cannot go in the first square. The vertical sum of 7 , given three squares, is $1+2+4$ (which doesn't include 3 ). As well, 3 cannot go in the second square, since that vertical sum is 3 . The unique sum for 3 , given two squares, is $1+2$ (doesn't include 3). Thus, 3 must go in the last square, and with the clue of two squares have a sum of $10, C=7$.

## Use the puzzle below to answer the next question.


3. The value of $G$ is _7_. [HINT: There is a unique sum for 11 with four The value of H is _5_. squares: $11=1+2+3+5$ ]

## Solution

The unique sum for 16 with two squares is 7 + 9 . If 9 were to occupy position, there would then be three vertical squares having a sum of 11. The only way that could happen is if 1 is repeated, in other words, $1+1+9$, but that is not allowed. Thus $G=7$.

With 11 having a unique sum of $1+2+3+5$, we look at the column having a sum of 21 , with three squares. If spot $H$ is occupied by 1 , or 2 , or 3 , then the sum of the remaining two squares would be 20,19 , or 18 respectively. None of these are possible, since the largest sum with two squares is $17(8+9)$. By elimination, 5 must go in this spot.

Use the following puzzle to answer the next two questions.


Solution


The sum of 3 must be in the order, $2+$ 1 , because if 1 was first, the sum of 11 would have to have 10 , which is not allowed.

We can then determine the vertical sum of 11 must be $9+2$.

This leads us to the horizontal sum of 13 to be $9+4$. The value for $N$ is 4 .

To get a sum of 9 , with three squares, the largest number possible is 6 . For example, if this number was 7 , to get a sum of 9 would require a repetition ( $1+1+$
7), which is not allowed. And since 6 is the smallest number of the sum of $30,6+7$
$+8+9$, the value of $M$ is 6 .
6. Complete the following puzzle.


## Solution


7. Complete the following puzzle.


## Solution

| $V$ | $10$ | 10 |  | 28 | 4 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 3 | 1 | $\sqrt[9]{9}$ | 6 | 1 | 2 |
| $\sqrt[9]{9}$ | 7 | 2 | $28 \sqrt[20]{ }$ | 9 | 3 | 8 |
| $\searrow$ | $\sqrt{24}^{24}$ | 7 | 9 | 8 | 6 | $\checkmark$ |
|  | $\lambda$ | $77^{11}$ | 4 | 5 | 2 |  |
| $823$ | 9 | 6 | 8 | $\sqrt[4]{4}$ | 3 | 1 |
| $\sqrt[12]{ }$ | 4 | 1 | 7 | $\sqrt[3]{8}$ | 1 | 2 |

8. Complete the following puzzle.

|  |  |  |  | $12$ |  | $10$ | $5$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | $\sqrt{16}$ |
| $16$ |  |  | $13$ | $3$ |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
| $17$ |  |  |  |  |  | $5$ |  |  |  |
| $16$ |  |  |  |  |  |  |  |  |  |
|  |  | $14$ |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |

## Solution



